1. Sample answer: The volume of both figures can be found by covering the base with one layer of full and partial unit cubes and stacking the layers to fill the figure. So, for both figures, the volume is the product of the area of the base and height.
2. The height and radius of the cylinder
3. Not necessarily; Sample answer: If Cylinder B is taller than Cylinder A by enough, then the volume of Cylinder B could be greater than the volume of Cylinder $A$.
4. $40 \pi \mathrm{~mm}^{3}$
5. 1 ft
6. $159.8 \mathrm{~cm}^{3}$
7. $5 ; 2.5$

25; 2.5
62.5
196.25
8. Cylinder $\mathrm{A}, \mathrm{V}=60 \pi \mathrm{ft}^{3}$;

Cylinder B, V = $54 \pi \mathrm{ft}^{3}$;
Cylinder A has the greater volume.
9. 15 inches
10. About 2.01 cm
11. a. $48 \pi \mathrm{in}^{3}$
b. Greater; Sample answer: The area of the two bases is the same, but the increase in the height of the second cylinder increases its volume to $96 \pi$ cubic inches.
12. $96 \pi$ cubic inches; Sample answer: A height of 6 inches results in a volume of $96 \pi$ cubic inches, and a height of 8 inches results in a volume of $72 \pi$ cubic inches.
13. a. 4.9 inches
b. Sample answer: If the height of the cylinder increases, then the radius will decrease so that the volume stays the same. If the height of the cylinder decreases, then the radius will increase.
14. $773.6 \mathrm{~cm}^{3}$
15. $1,055.04 \mathrm{in}^{3}$
16. 7
17. $147 \pi ; 462$
18. C, E

